

MODELLING SELF-POTENTIAL EFFECTS DURING RESERVOIR STIMULATION IN ENHANCED GEOTHERMAL SYSTEMS

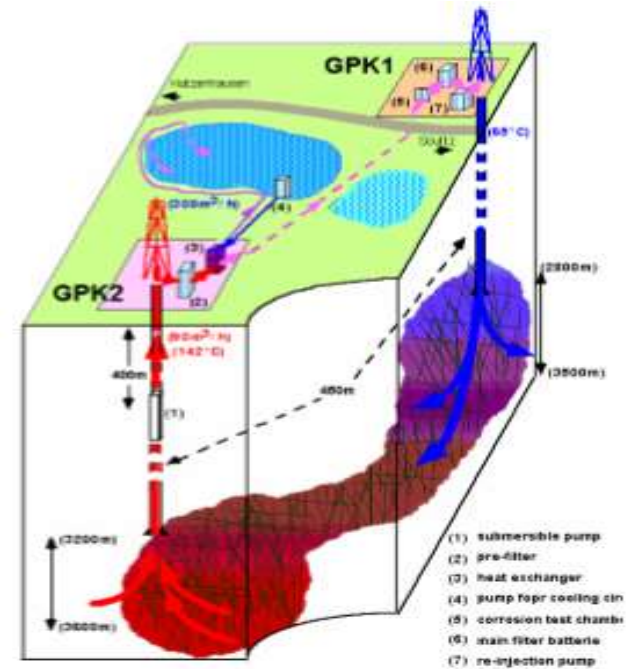
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- Application of Self- Potential (SP) in geothermal area
- EGS System (Enhanced Geothermal System)
- Induced Seismicity

Numerical simulation for real case Soultz-sous-Forets



- Introduction of SP equation
- Presentation of results
- Conclusion

- Passive geophysical method
- Telluric currents originate spontaneously in the underground
- Using of impolarizable electrode and simple acquisition system for experimental measurements

- Equations used for our model are:

1. $\vec{J} = -\sigma \vec{\nabla} V - l(\vec{\nabla} P - \rho_f \vec{g})$

Conduction current (points up to the first term)

Convective current (points down to the second term)

2. $\vec{U} = -l \vec{\nabla} V - \frac{k}{\eta} (\vec{\nabla} P - \rho_f \vec{g})$

electroosmosis (points up to the first term)

Darcy's law (points down to the second term)

- In absence of external sources $\vec{\nabla} \cdot \vec{j} = 0$ applying the divergence to the first equation we obtain:

$$\vec{\nabla} \cdot (\sigma \vec{\nabla} V) = -\vec{\nabla} \cdot [l(\vec{\nabla} P - \rho_f \vec{g})]$$

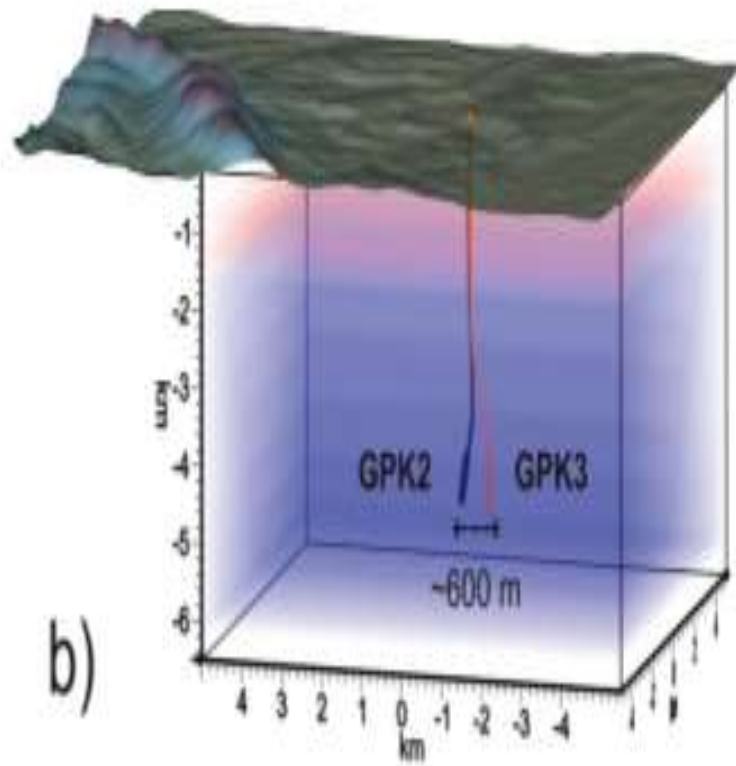
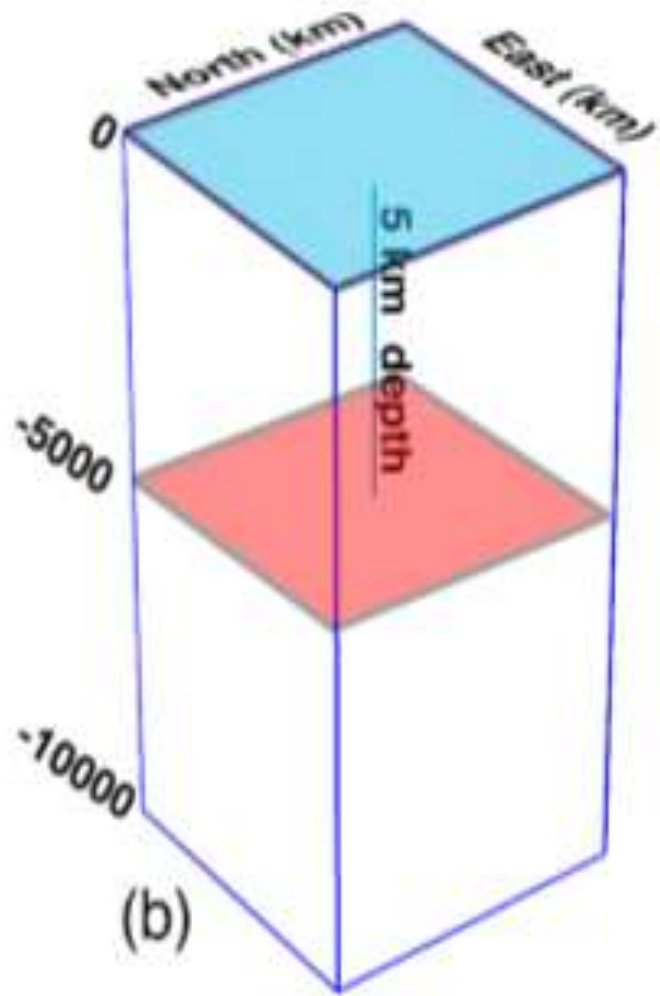
- Developing the first equation we obtain Poisson's equation:

$$\nabla^2 V = -\frac{\vec{\nabla} \sigma}{\sigma} \vec{E} - \frac{1}{\sigma} [\vec{\nabla} l \cdot \vec{\nabla} P - \rho_f \vec{\nabla} l \cdot \vec{g} - l \nabla^2 P]$$

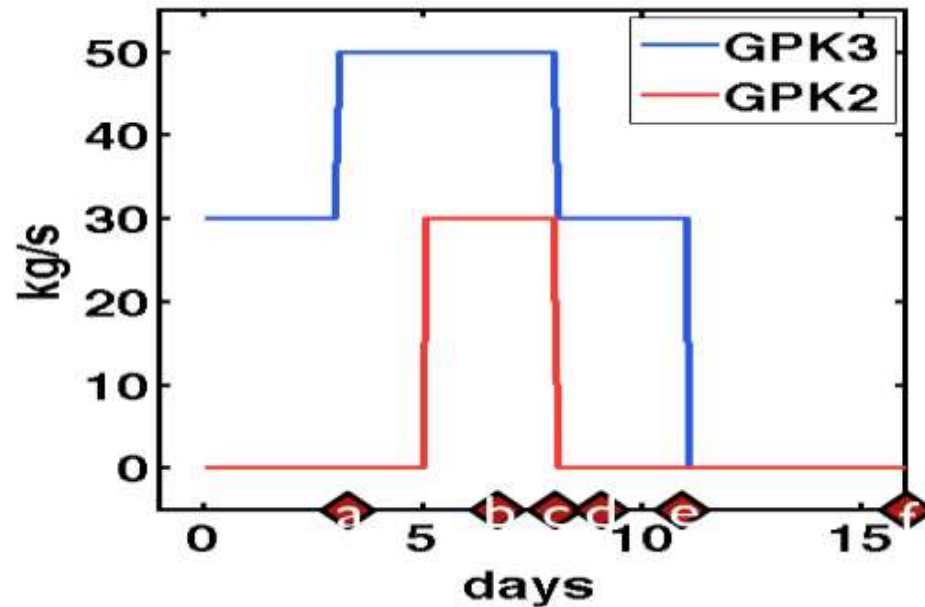
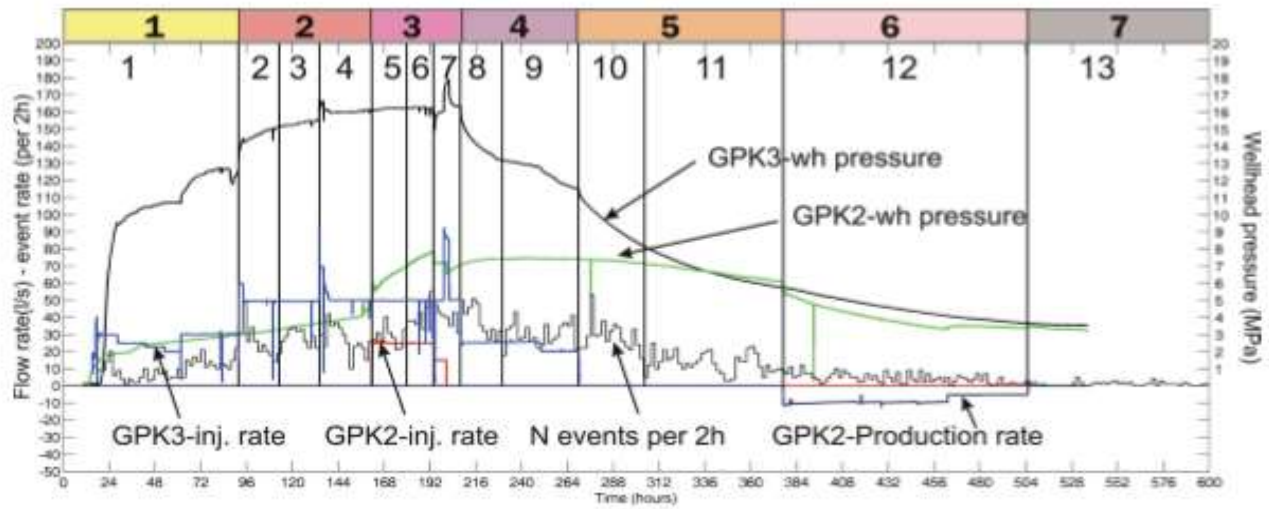
Secondary source

Primary source

- Numerical stimulation present a simplifcative geometry and follow real stimulation cicle
- Source term: $\frac{\vec{\nabla}\sigma}{\sigma} \vec{E} + \frac{l\nabla^2 P}{\sigma}$
- Pressures have been calculated using a termo-fluid dynamic model (Troiano et al.2013)
- The costant l choosed ad hoc for Soultz-sous-Forets.



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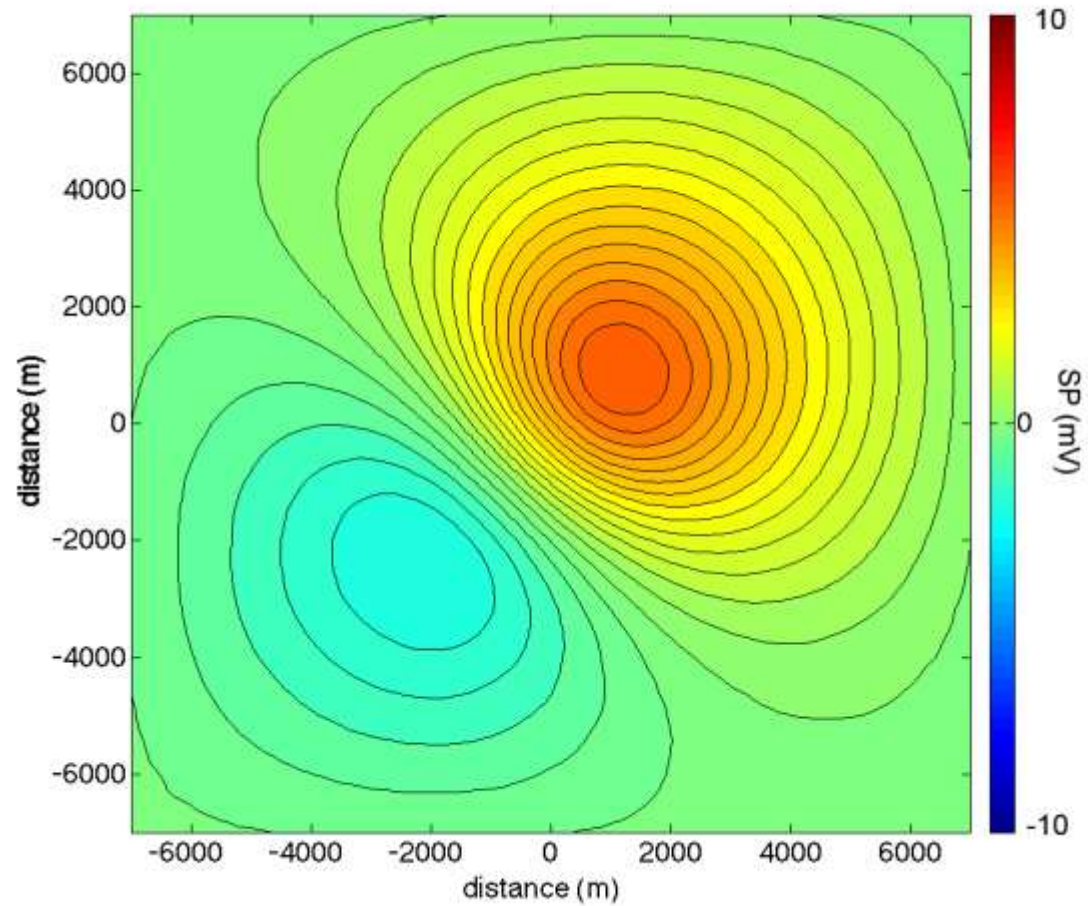
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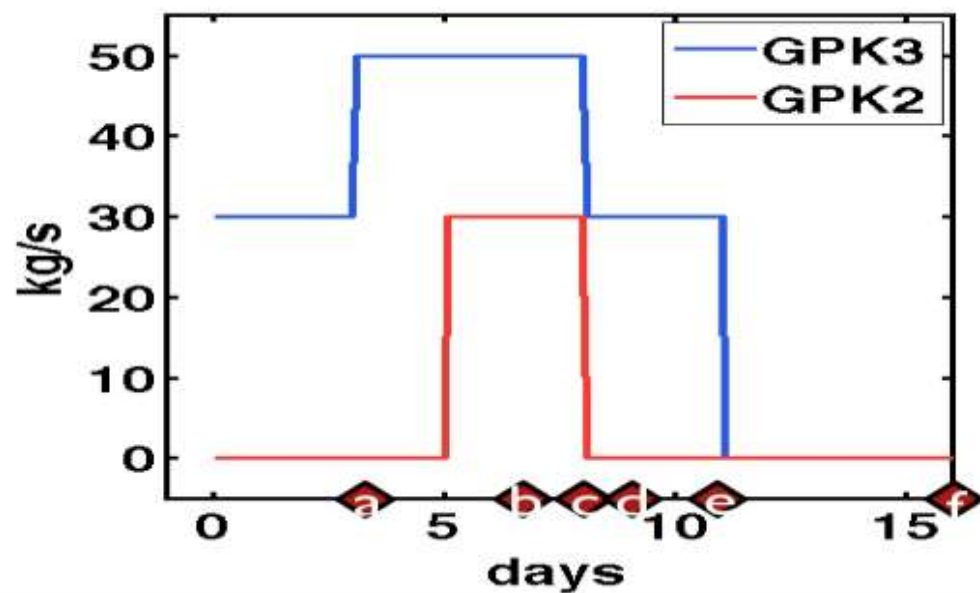
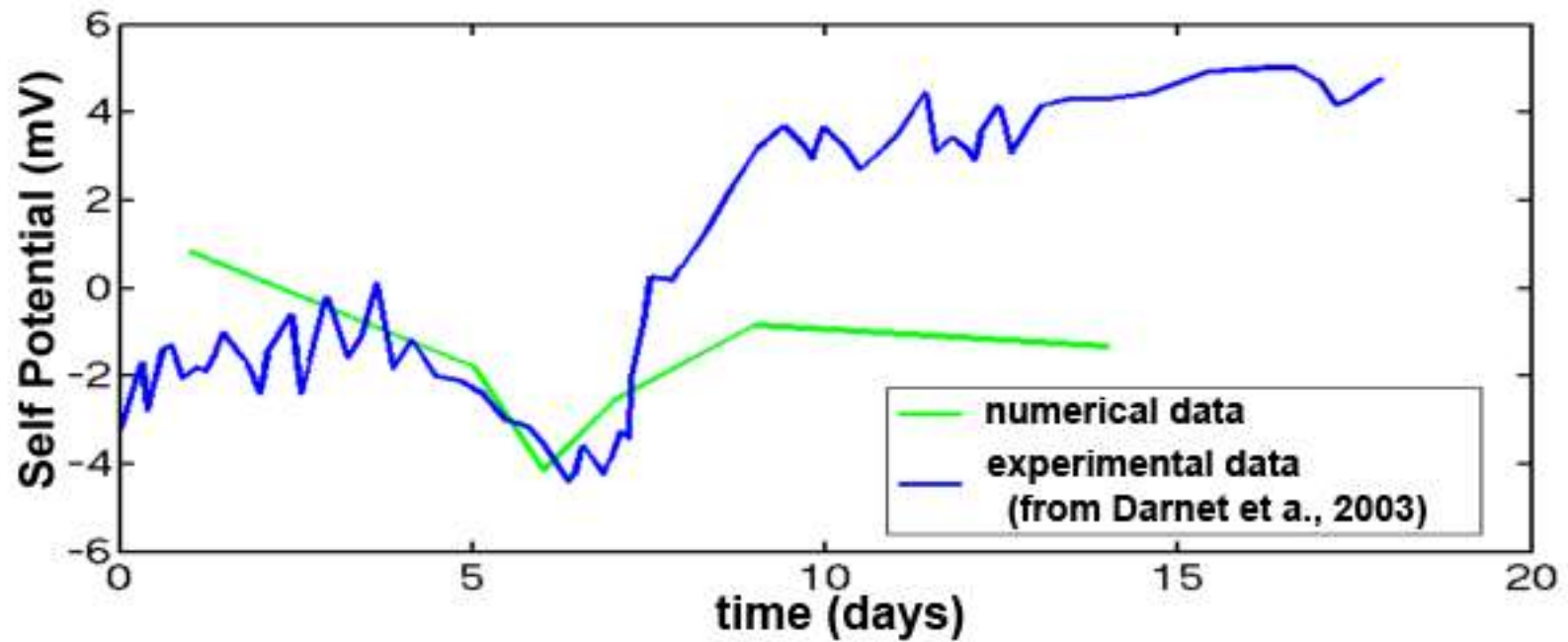
- Poisson's equation:

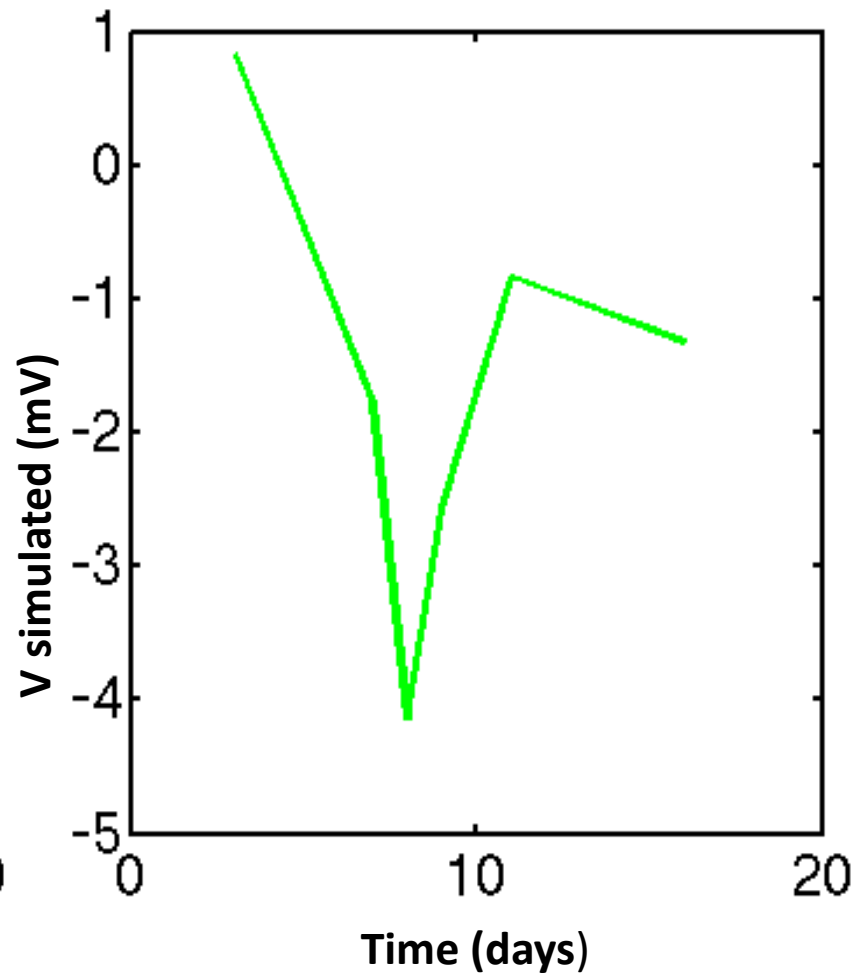
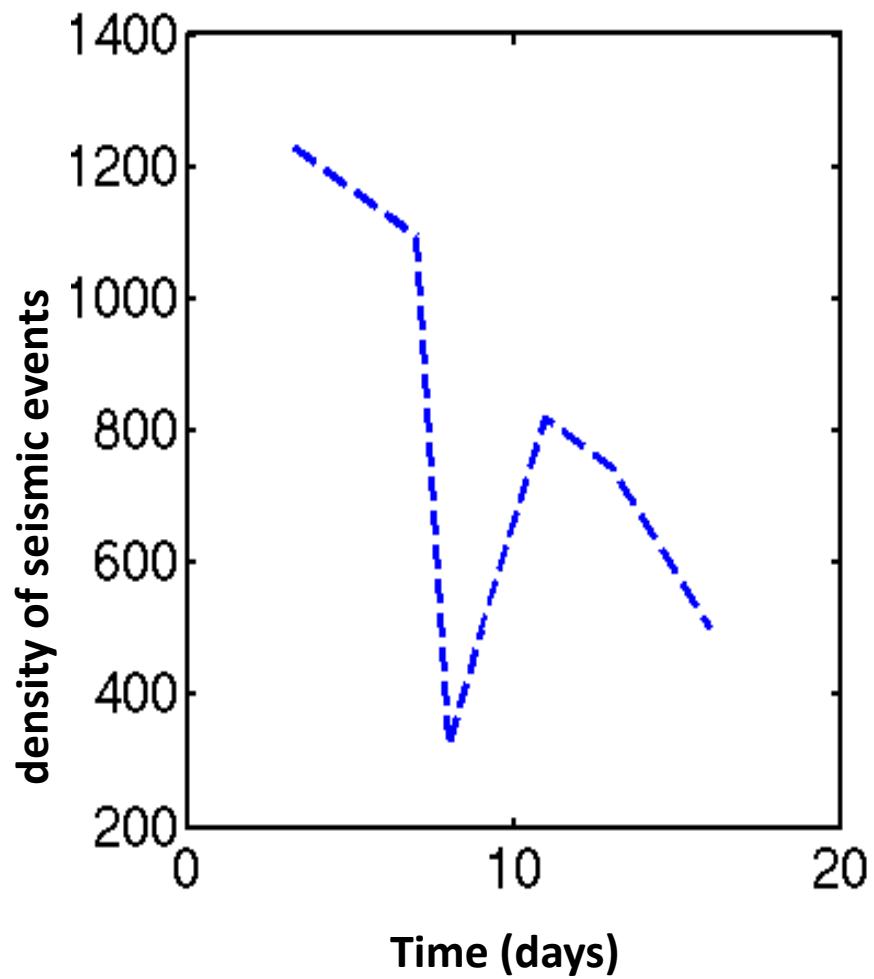
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An example of our results:







CONCLUSION

- Choice of the best I value to use in our model
- Electric potential obtained through numerical simulation in agreement with experimental data recorded
- A significant good matching has been found between density of seismic events and the trend of Self- Potential for the same pumping stimulation

THANKS FOR ATTENTION