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# FRAUNHOFER INSTITUTE FOR SOLAR ENERGY SYSTEMS ISE

Heat Loss Evaluation of an Experimental Set-up for predicting the Initial Stage of the Boiling Curve for Water at Low Pressure

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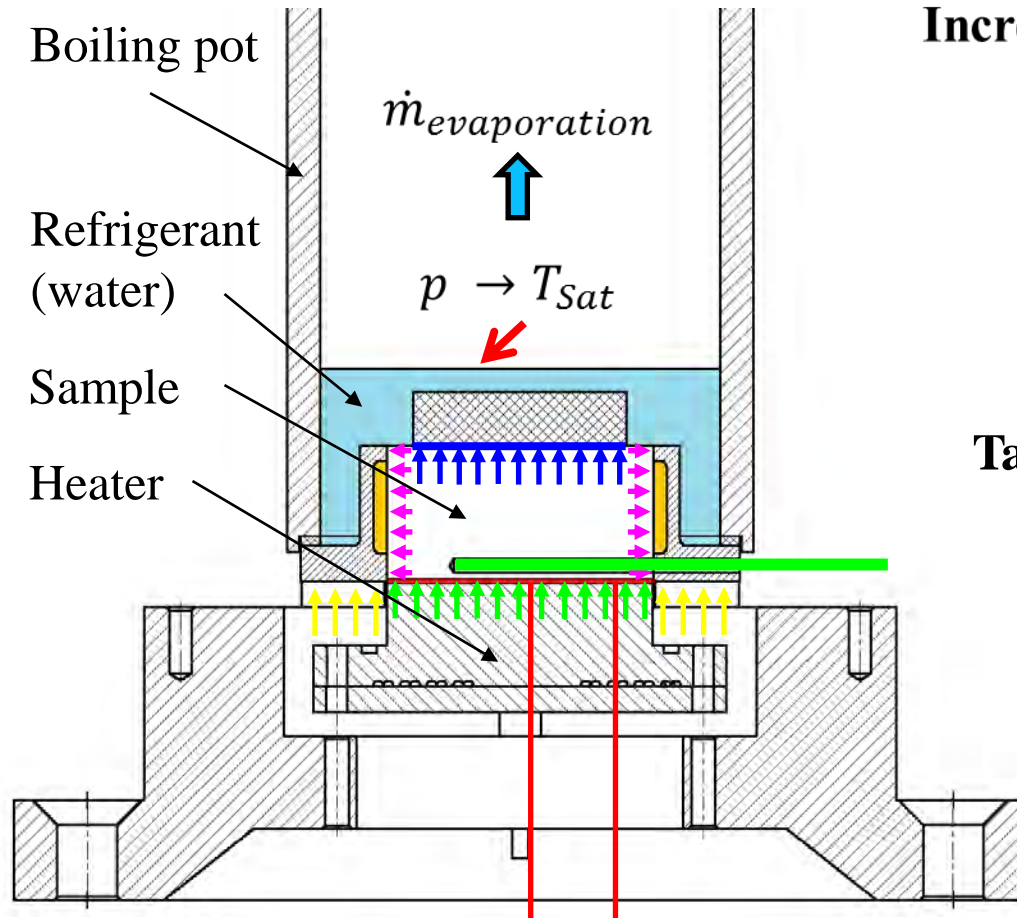
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# Agenda

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- Introduction
- COMSOL Implementation with boundary conditions
- Results
- Conclusion

# Introduction



Increasing heaters temperature above  $T_{Sat}$   
 → Evaporation of water

**Measured values:**

↑↑  $\dot{q}_{In, \text{heat flux sensor}}$

—  $T_{Sample}$

|  $T_{Heater}$

**Target values for the Boiling Curve:**

↑↑  $\dot{q}_{In, \text{effective}}$

—  $T_{Wall}$

$$\rightarrow \Delta T_{WSH} = T_{Wall} - T_{Sat}$$

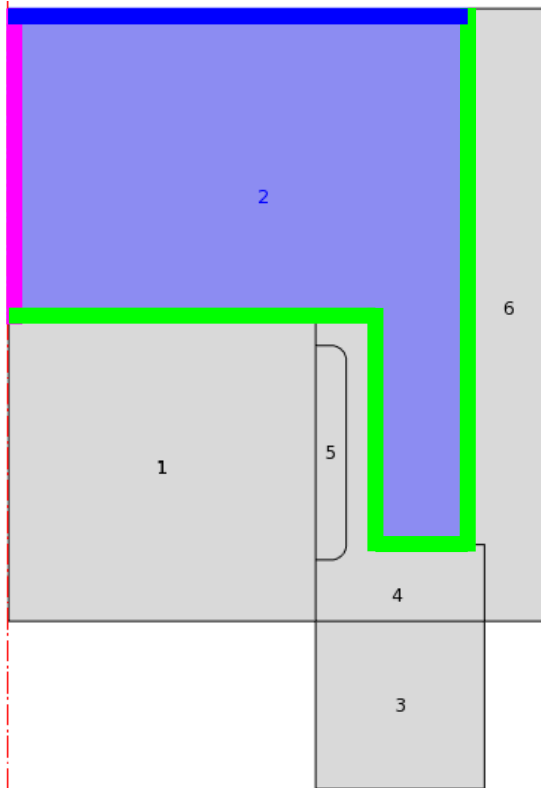
**Unknown values:**

↔  $\dot{q}_{Loss, \text{radial}}$

↑↑  $\dot{q}_{In, \text{radiation - conduction}}$

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# COMSOL Implementation (fluid part)



## 2-D axisymmetric stationary model

### ‘Heat Transfer in Fluids’ (Area 2)

Incompressible Navier-Stokes equation (laminar flow)

$$\rho(\mathbf{u}\nabla)\mathbf{u} = -\nabla p + \nabla\eta(\nabla\mathbf{u} + (\nabla\mathbf{u})^T) + \underbrace{\rho_0 g\beta(T - T_0)}_{\text{Boussinesq term}}$$

$$\rho\nabla\mathbf{u} = 0$$

Heat balance from conduction-convection equation

$$\rho_0 c_p \mathbf{u}\nabla T - \nabla(\lambda\nabla T) = 0$$

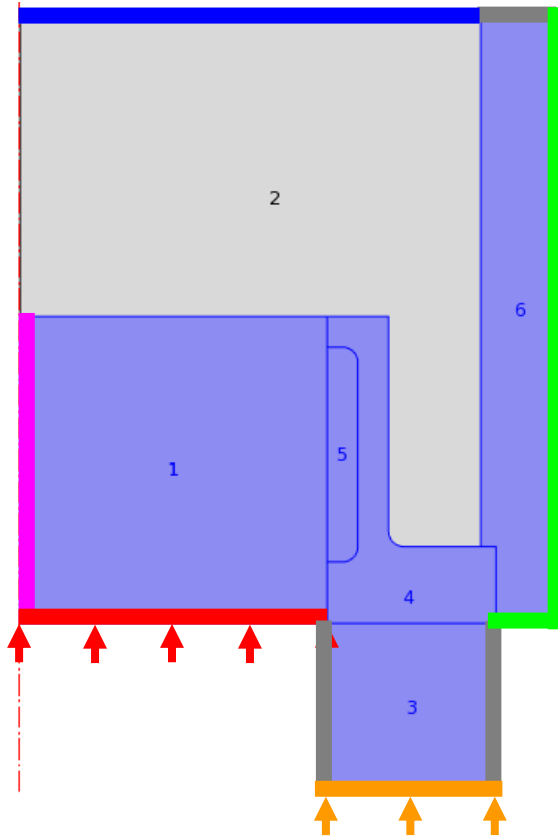
### Boundary conditions

Axial Symmetry

Wall 1 → „No Slip“, i.e. no fluid movement at the wall

Wall 2 → „Slip“, i.e. no viscous effects at the slip wall

# COMSOL Implementation (solid part 1)



## 'Heat Transfer in Solids' (Areas 1, 3, 4, 5, 6)

Steady-state heat equation

$$\nabla(-\lambda\nabla T) = 0$$

### Boundary conditions

Axial Symmetry

Heat Flux  $\dot{q}$

Temperature (Heater temperature)

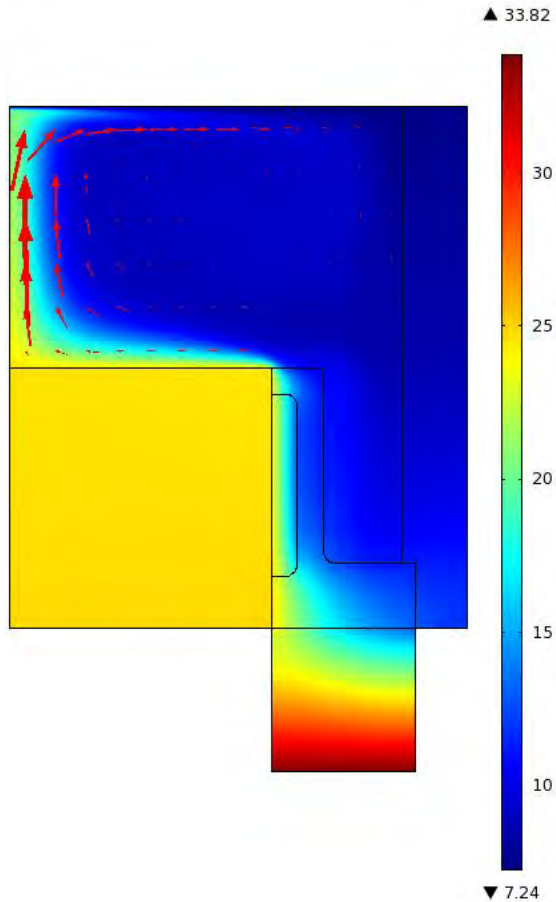
Convective Cooling 1 + 2  $\alpha = \frac{Nu\lambda}{L}$ , External temperature  $\vartheta_{Sat}$

Temperature (Saturation temperature  $\vartheta_{Sat}$ )

Thermal Insulation

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# Validation of the model (temperature plot)



Temperature plot for „COMSOL\_P8“, i.e. for

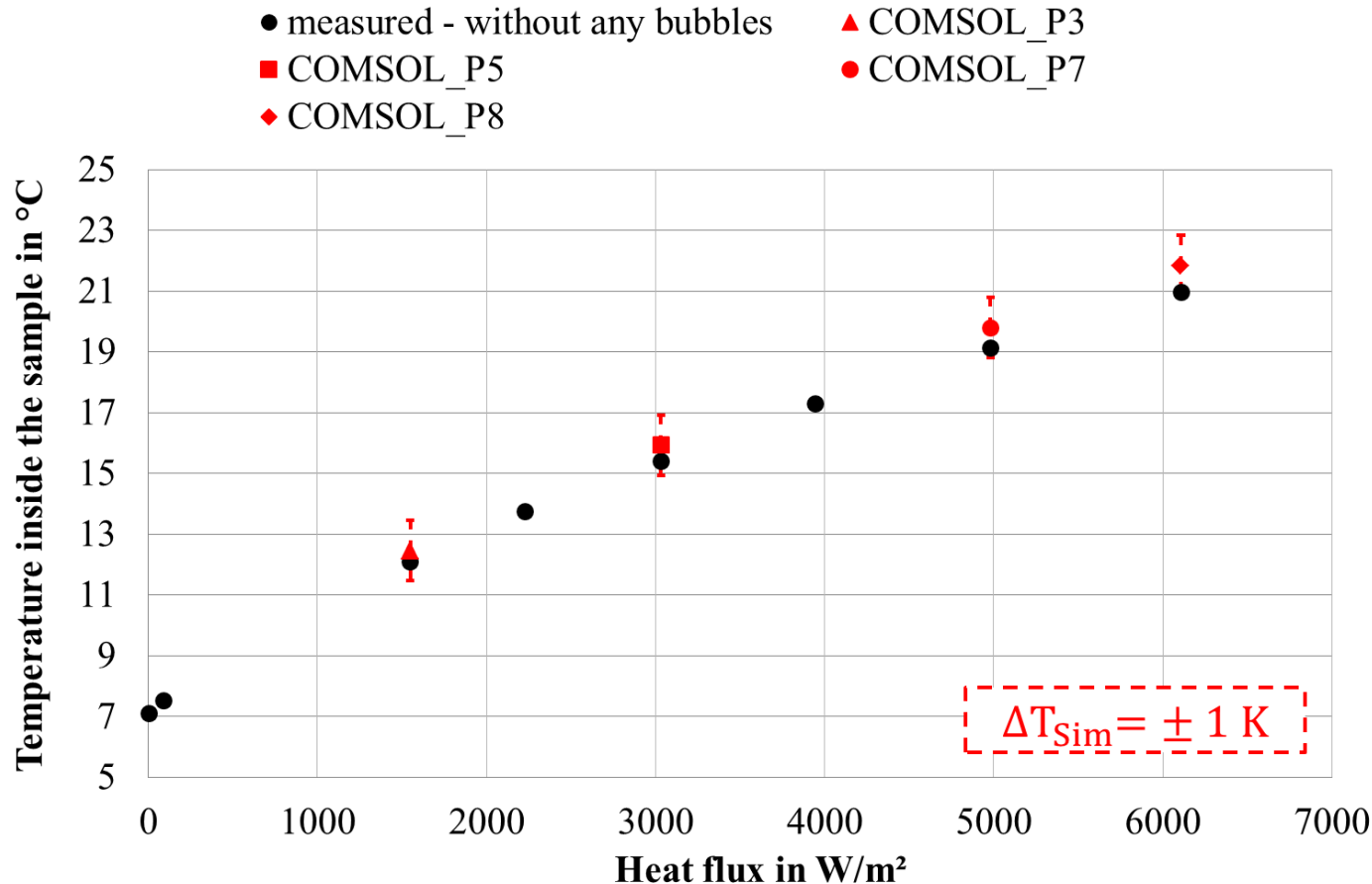
- a heat flux input of  $6110 \text{ W/m}^2$ ,
- a saturation temperature of  $7.24 \text{ °C}$  and a
- heater temperature of  $33.82 \text{ °C}$ .

→ feasible temperature distribution

→ feasible vortex orientation analyzing the velocity field

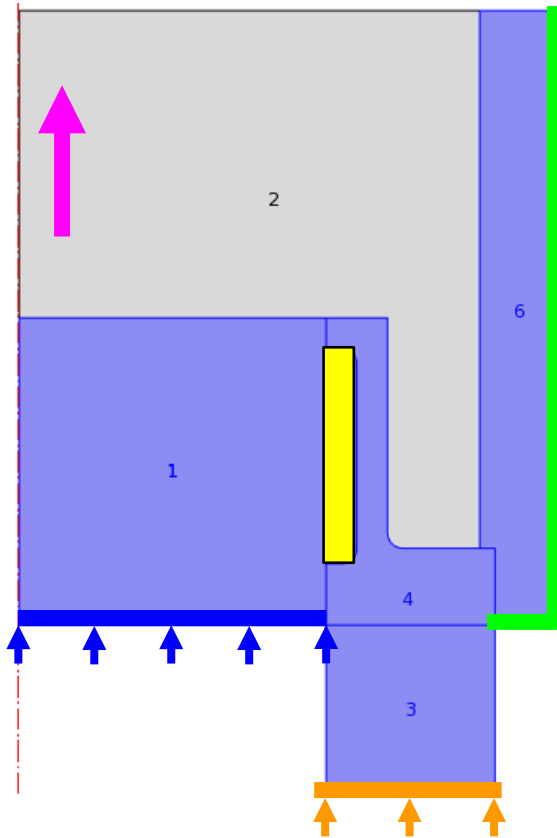


# Validation of the model (experimental vs simulation results)



- ➡ Good agreement with deviations of 1 K only
- ➡ Experimental data are overestimated in each case

# Rough Sensitivity analysis (SA)



## Aim

To reduce the simulated sample temperature

SA1  $\rightarrow \vartheta_{Heater} - 6\%$

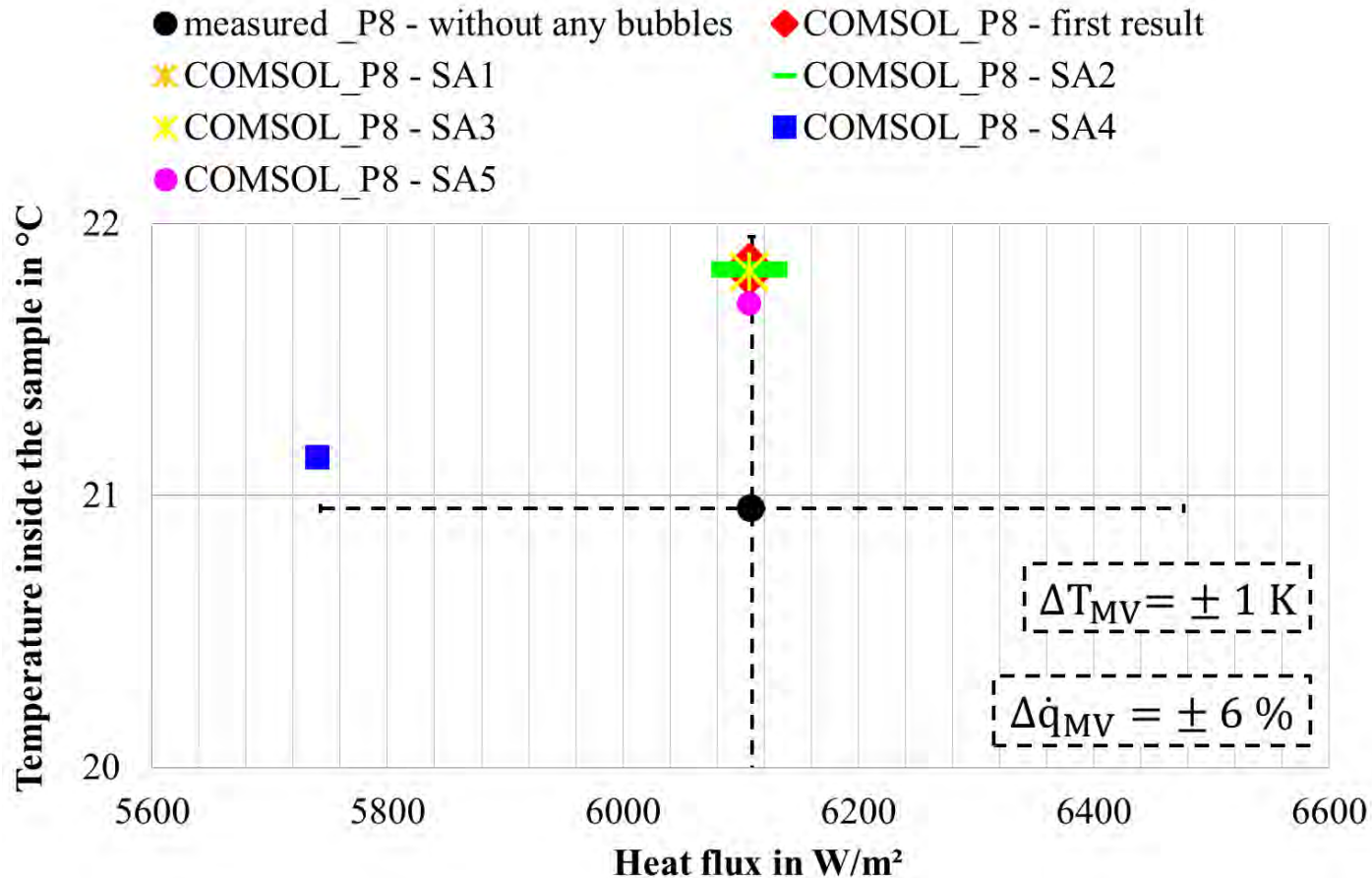
SA2  $\rightarrow \alpha_{CC} + 6\%$

SA3  $\rightarrow \lambda_{CCR} + 6\%$

SA4  $\rightarrow \dot{q}_{In,HFS} - 6\%$

SA5  $\rightarrow \beta + 6\%$  (increasing the buoyancy flow)

# Rough Sensitivity analysis (SA)

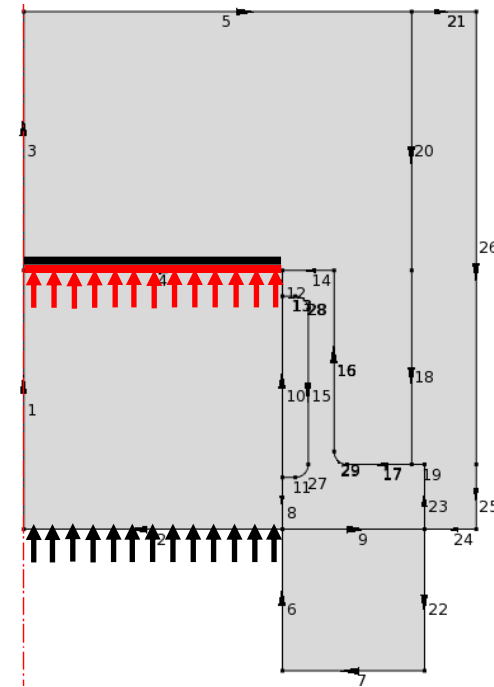
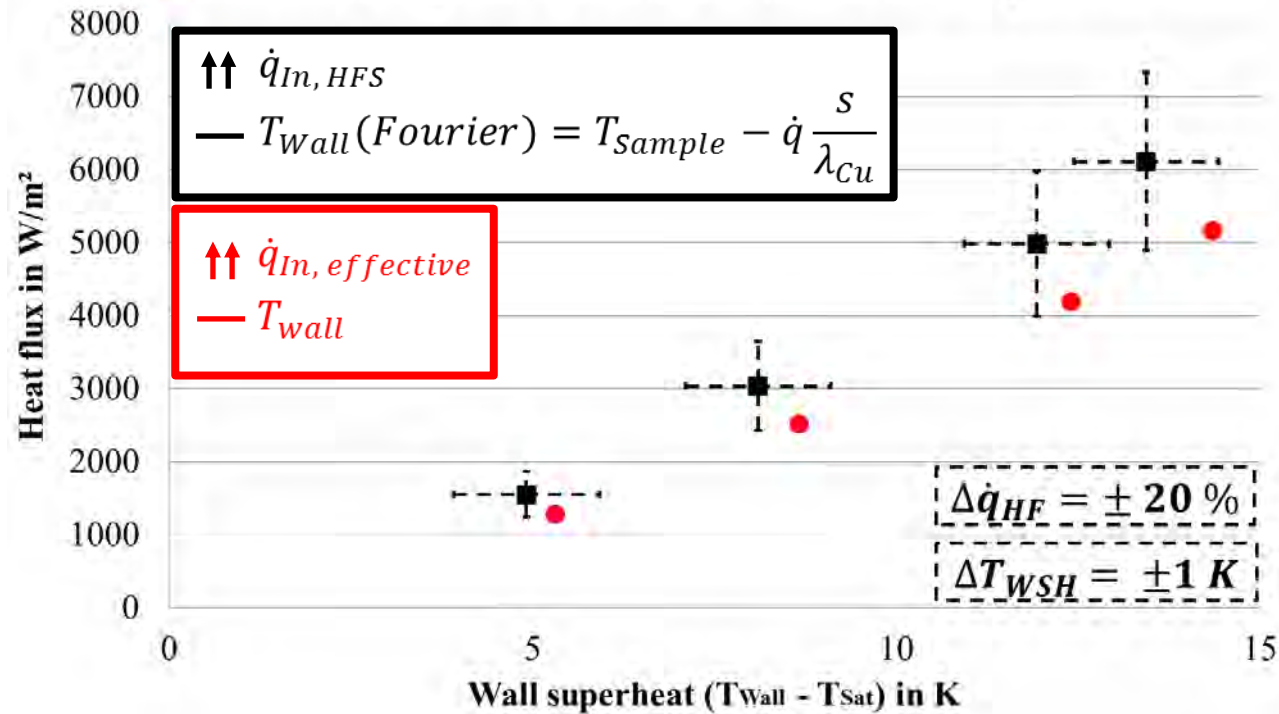


➡ SA4 → most significant influencing parameter

➡ SA5 → with a decrease of - 0.1 K

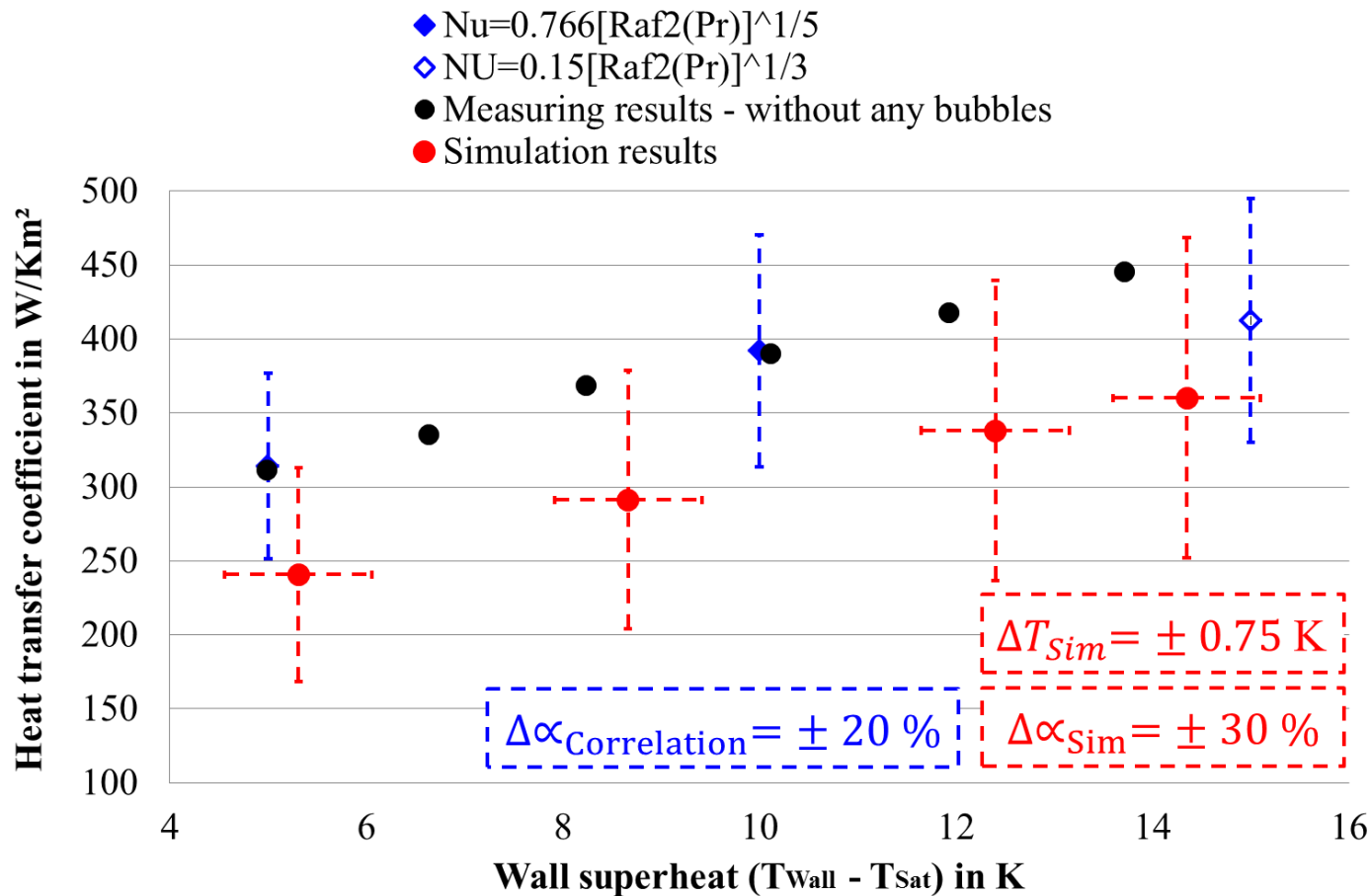
# Influence of heat losses and gains to the boiling curve of the plain surface structure

- Measured values - heat flux input and calculated wall temperature (Fourier)
- Simulated boiling curve - effective heat flux and wall temperature



- ➡ Shows the need for reducing the heat flux (rectification)
- ➡ Wall superheat shift → overestimation of the sample temperature

# Comparison to literature



- ➡ Very good agreement of experimental results and correlation
- ➡ Nevertheless, rectifying measuring data seems to be plausible..

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# Conclusion

- A reasonable model has been developed in order to estimate heat losses and gains for the boiling curve of a plain surface structure
- Appropriate adaptation parameters have been identified for further adapting the model to experimental data
- The need for rectifying the boiling curve could be shown
- The comparison to literature could show a very good agreement between the experimental data and the correlation BUT simulation results seem to be more plausible

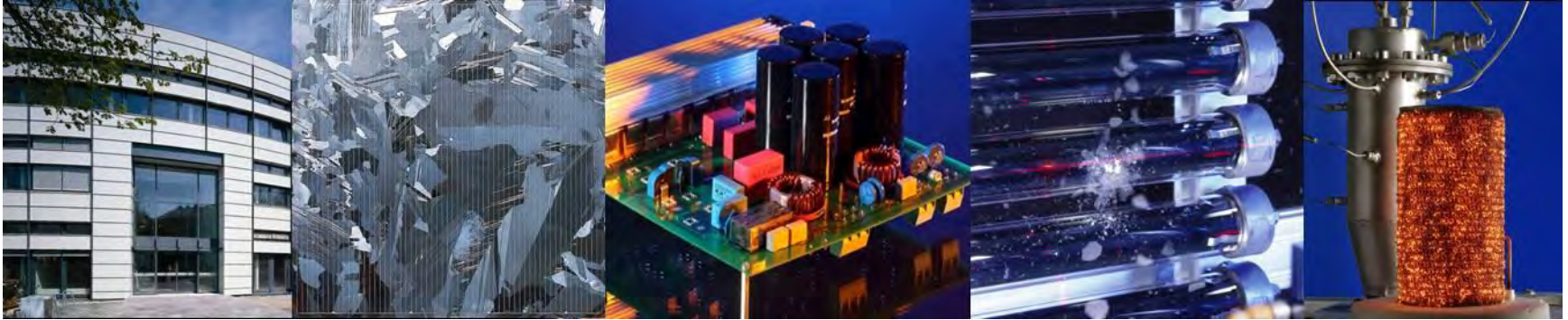
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# Thank You Very Much for Your Attention!



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